CSC 533: Programming Languages Spring 2014

Advanced Scheme programming

- memory management: structure sharing, garbage collection
- structuring data: association list, trees
- let expressions
- non-functional features: set!, read, display, begin
- OOP in Scheme

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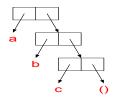
Memory management in Scheme

all data is dynamically allocated (heap-based)

variables (from function definitions, let-expressions) may be stored on stack

underlying lists is the dotted-pair structure

```
(a b c) \equiv (a . (b . (c . ())))
```



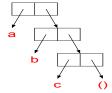
this structure demonstrates

- non-contiguous nature of lists (non-linear linked-lists)
- behavior of primitive operations (car, cdr, cons)

```
(car '(a b c)) = (car '(a . (b . (c . ())))) \rightarrow a
(cdr '(a b c)) = (cdr '(a . (b . (c . ())))) \rightarrow (b . (c . ())) = (b c)
(cons 'x '(a b c)) = (cons 'x '(a . (b . (c . ()))))
\rightarrow (x . (a . (b . (c . ())))) = (x a b c)
```

Structure sharing

since destructive assignments are rare, Scheme makes extensive use of structure-sharing



- each recursive call shares a part of the list
- other code that uses a, b, c or () can share as well

problems caused by destructive assignments? solutions?

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Garbage collection

garbage collection is used to reclaim heap memory

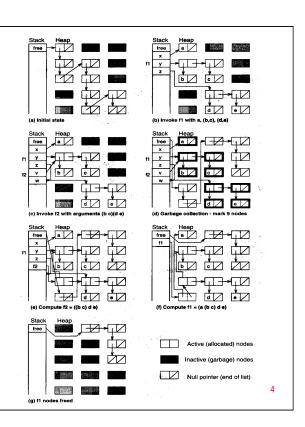
(define (f1 x y z)

(cons x (f2 y z)))

```
(define (f2 v w) (cons v w))

> (f1 'a '(b c) '(d e)
```

```
 (f1 'a '(b c) '(d e))
(a (b c) d e)
```



Structuring data

an association list is a list of "records"

- each record is a list of related information, keyed by the first field
- i.e., a Map

can access the record (sublist) for a particular entry using assoc

```
➤ (assoc 'Smith NAMES)
➤ (assoc 'Walker NAMES)
(Smith Pat Q)
(Walker Kelly T)
```

assoc traverses the association list, checks the car of each sublist

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Association lists

to access structured data.

- store in an association list with search key first
- access via the search key (using assoc)
- use car/cdr to select the desired information from the returned record

assoc example

consider a more general problem: determine price for an entire meal

• represent the meal order as a list of items,

```
e.g., (tofu-dog fries large-soda)
```

use recursion to traverse the meal list, add up price of each item

```
(define (meal-price meal)
  (if (null? meal)
     0.0
      (+ (price (car meal)) (meal-price (cdr meal)))))
```

alternatively, could use map & apply

```
(define (meal-price meal)
  (apply + (map price meal)))
```

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Finally, variables!

Scheme does provide for variables and destructive assignments

since Scheme is statically scoped, can have global variables

YUCK: destroys functional model, messes up structure sharing

Let expression

fortunately, Scheme provides a "clean" mechanism for creating variables to store (immutable) values

 $\begin{tabular}{ll} \textit{let expression} & \textit{introduces a new environment with variables (i.e., a block)} \end{tabular}$

good for naming a value (don't need set!)

a let expression has the same effect as creating a help function & passing value

as long as destructive assignments are not used, the functional model is preserved

• in particular, structure sharing is safe

```
(let ((x 5) (y 10))

(let (z (x + y)) environment

(x 5) (y 10) environment

(x 5) (y 10) environment

(x 5) (y 10) environment

(x 6) (x 6) where (x 6) and (x 6) environment

(x 6) (x 6) env
```

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Example: circle of friends

suppose we want to compute a person's circle of friends

- level 1: direct friends
- level 2: direct friends + friends of direct friends
- level n : level (n-1) friends + friends of level (n-1) friends

Example: circle of friends (cont.)

consider Amy's circle of friends

- level 1: (bob dan elle)
- level 2: (bob dan elle) + (amy dan) + (chaz) + (amy bob chaz dan) → (bob dan elle amy dan chaz amy bob chaz dan)

```
(require scheme/list)
(define FRIENDS
                                                                   don't list self in
  '((amy (bob dan elle)) (bob (amy dan)) (chaz (dan elle))
                                                                   circle of friends
    (dan (chaz)) (elle (amy bob chaz dan)) (fred (dan)))
(define (getFriends person)
                                                                 don't list duplicates
 (cadr (assoc person FRIENDS)))
                                                                 in circle of friends
(define (getCircle person distance)
 (if (= distance 1)
      (getFriends person)
      (let ((circle (getcircle person ( distance 1))))
(remove person
                (remove-duplicates (append circle
                                              (apply append
                                                     (map getFriends circle)))))))
```

Example: craps simulation

consider a game of craps:

- if first roll is 7, then WINNER
- if first roll is 2 or 12, then LOSER
- if neither, then first roll is "point"
 - keep rolling until get 7 (LOSER) or point (WINNER)

Example: craps with history list

as is, all you see from craps is WINNER or LOSER

• would like to see the actual rolls to confirm proper behavior

the "functional way" is to construct a list of the rolls & return it

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Example: craps with I/O

alternatively, can bite the bullet and use non-functional features

- display displays S-expr (newline yields carriage return)
- readreads S-expr from input
- begin provides sequencing (for side effects)

Non-linear data structures

note: can represent non-linear structures using lists

e.g. trees



- empty tree is represented by the empty list: ()
- non-empty tree is represented as a list: (ROOT LEFT-SUBTREE RIGHT-SUBTREE)
- can access the the tree efficiently

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Tree routines

```
(define TREE1
   ' (dog
       (bird (aardvark () ()) (cat () ()))
       (possum (frog () ()) (wolf () ())))
                                             dog
(define (empty-tree? tree)
 (null? tree))
                                      bird
                                                    possum
(define (root tree)
  (if (empty-tree? tree)
     'ERROR
      (car tree)))
(define (left-subtree tree)
                                     (define (right-subtree tree)
 (if (empty-tree? tree)
                                        (if (empty-tree? tree)
     'ERROR
                                            'ERROR
      (cadr tree)))
                                            (caddr tree)))
                                                                      16
```

Tree searching

note: can access root & either subtree in constant time

→ can implement binary search trees with O(log N) access

binary search tree: for each node, all values in left subtree are <= value at node all values in right subtree are > value at node

```
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                                                                     33
(define (bst-contains? bstree sym)
  (cond ((empty-tree? bstree) #f)
       ((= (root bstree) sym) #t)
       ((> (root bstree) sym) (bst-contains? (left-subtree bstree) sym))
       (else (bst-contains? (right-subtree bstree) sym))))
```

note: recursive nature of trees makes them ideal for recursive traversals

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```
Tree traversal
  (define (pre-order tree)
    (if (empty-tree? tree)
                                                                dog
         '()
         (append (list (car tree))
                 (pre-order (cadr tree))
                 (pre-order (caddr tree)))))
                                                   aardvark
                                                                           wolf
  (define (in-order tree)
    (if (empty-tree? tree)
                                                    •pre-order traversal?
        '()
         (append (in-order (cadr tree))
                                                    •in-order traversal?
                 (list (car tree))
                                                    •post-order traversal?
                 (in-order (caddr tree)))))
  (define (post-order tree)
    (if (empty-tree? tree)
         (append (post-order (cadr tree))
                 (post-order (caddr tree))
                 (list (car tree)))))
                                                                             18
```

In class exercises

```
(define (num-nodes tree)
    ??? )

(define (sum-values numtree)
    ??? )

(define (max-value numtree)
    ??? )
```

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OOP in Scheme

map & apply showed that functions are first-class objects in Scheme

- can be passed as inputs to other functions
- can be returned as the output of other functions

can use this feature to provide object-oriented programming

example: bank account

data: account balance

operations: initialize with some amount

deposit some amount withdraw some amount

Naïve (imperative) solution

- use global variable to represent the balance
- initialize and update the balance using set!

```
(define balance 100)
(define (withdraw amount)
 (if (>= balance amount)
     (begin (set! balance (- balance amount)) balance)
      "Insufficient funds"))
(define (deposit amount)
 (begin (set! balance (+ balance amount)) balance))
> (withdraw 25)
➤ (deposit 50)
> (withdraw 200)
```

DRAWBACKS

- · no encapsulation
- · no data hiding
- · not easily extended to multiple accounts

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OOP behavior

"Insufficient funds"

following OOP principles, would like the following behavior

```
creates an account called
(define savings (account 100))
                                              savings, initialized to $100
                                              updates the savings account
(savings 'deposit 50)
                                              by depositing $50
                                              updates the savings account
(savings 'withdraw 50)
                                              by withdrawing $50
```

want balance to be inaccessible except through deposit & withdraw

SOLUTION: make an account object be a function

- contains the balance as local data (as a parameter)
- recognizes deposit and withdraw commands as input

OOP solution

```
(define (account balance)
  (define (withdraw amount)
   (if (>= balance amount)
        (begin (set! balance (- balance amount)) balance)
        "Insufficient funds"))
  (define (deposit amount)
   (begin (set! balance (+ balance amount)) balance))
  (define (menu message arg)
    (cond ((equal? message 'deposit) (deposit arg))
          ((equal? message 'withdraw) (withdraw arg))
          ((else "Unknown operation"))))
 menu)
                                           (define savings (account 100))
                                           (define (menu message arg) ...)
                     since the returned function is in the scope of the balance parameter, that value is
                     maintained along with the function
                      (savings 'deposit 50) applies the menu function to the arguments
```

OOP analysis

this implementation provides

- encapsulation: balance & operations are grouped together
- data hiding: balance is hidden in an account object, accessible via ops

can have multiple objects - each has its own private balance

```
(define checking (account 100))
(define savings (account 500))

(checking 'withdraw 50)
(savings 'deposit 50)
```

note: this notation can become a bit awkward

- most Schemes provide an OOP library that insulates the user from details
- allows more natural definitions, inheritance, . . .

Scheme recap

simple & orthogonal

- code & data are S-expressions
- computation via function application, composition

symbolic & list-oriented

- can manipulate words, flexible & abstract data structure
- efficient (but less flexible) data structures are available

functional style is very natural

supports imperative & OOP styles if desired

first-class functions

- leads to abstract, general functions (e.g., map, apply)
- code = data → flexibility

memory management is hidden

- dynamic allocation with structure sharing, garbage collection
- tail-recursion optimization is required